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Histogram equalization

Let f be a given image represented as a m_r by m_c matrix of integer pixel intensities ranging from 0 to L - 1. L is the number of possible intensity values, often 256. Let p denote the normalized histogram of f with a bin for each possible intensity. So

$$p_n = {{\rm number of \ pixels \ with \ intensity \ n}\over {\rm total \ number \ of \ pixels}} \qquad n=0,1,...,L-1.$$

The histogram equalized image g will be defined by

$$g_{i,j} = \text{floor}((L-1)\sum_{n=0}^{f_{i,j}} p_n),$$
(1)

where floor() rounds down to the nearest integer. This is equivalent to transforming the pixel intensities, k, of f by the function

$$T(k) = \operatorname{floor}((L-1)\sum_{n=0}^{k} p_n)$$

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Histogram equalization - algorithm

Method

New Pixel Value = $(L - 1) \times$ Cumulative Probability of Original Pixel Value

Steps

- 1. Traverse the image and calculate the probabilities of the individual gray levels and store it in an **array[256]** on the respective index number.
- Find the cumulative probabilities of the gray levels and multiply with (L-1). This should result in an array[256] containing the mapping of original gray levels (indices) to be replaced by the new gray levels (values at the indices of the array)
- 3. Traverse the image again and replace the old gray values with the new gray values using the array found in step 2.

Adapted from https://xplaind.com/370945/histogram-equalization





















